

Summer 6-14-2019

# Observed and Projected Snowmelt Runoff in the Upper Rio Grande in a Changing Climate

Nels R. Bjarke

*University of New Mexico - Main Campus*

Follow this and additional works at: [https://digitalrepository.unm.edu/eps\\_etds](https://digitalrepository.unm.edu/eps_etds)

 Part of the [Environmental Indicators and Impact Assessment Commons](#), [Hydrology Commons](#), and the [Water Resource Management Commons](#)

---

## Recommended Citation

Bjarke, Nels R.. "Observed and Projected Snowmelt Runoff in the Upper Rio Grande in a Changing Climate." (2019).  
[https://digitalrepository.unm.edu/eps\\_etds/260](https://digitalrepository.unm.edu/eps_etds/260)

This Thesis is brought to you for free and open access by the Electronic Theses and Dissertations at UNM Digital Repository. It has been accepted for inclusion in Earth and Planetary Sciences ETDs by an authorized administrator of UNM Digital Repository. For more information, please contact [amywinter@unm.edu](mailto:amywinter@unm.edu).

Nels Bjarke  
Candidate

Earth and Planetary Science  
Department

This dissertation is approved, and it is acceptable in quality and form for publication:

*Approved by the Dissertation Committee:*

Dr. David Gutzler, Chairperson

Dr. Peter Fawcett

Dr. Joseph Galewsky

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

**OBSERVED AND PROJECTED SNOWMELT RUNOFF  
IN THE UPPER RIO GRANDE IN A  
CHANGING CLIMATE**

**by**

**NELS BJARKE**

B.S., Earth and Planetary Science, University of New Mexico, 2014

THESIS

Submitted in Partial Fulfillment of the  
Requirements for the Degree of

**Master of Science  
Earth and Planetary Sciences**

The University of New Mexico  
Albuquerque, New Mexico

**July, 2019**

## ACKNOWLEDGEMENTS

This material is based upon work supported by the USGS South Central Climate Adaptation Science Center, under award number 2A16-0424. We thank the U.S. Bureau of Reclamation for making their "Downscaled CMIP3 and CMIP5 Climate and Hydrology Projections" available to us.

(archive at [https://gdo-dcp.ucllnl.org/downscaled\\\_cmip\\\_projections/](https://gdo-dcp.ucllnl.org/downscaled\_cmip\_projections/))

We acknowledge the World Climate Research Programme's Working Group on Coupled Modelling, which is responsible for CMIP, and we thank the climate modeling groups for producing and making available their model output. For CMIP the U.S. Department of Energy's Program for Climate Model Diagnosis and Intercomparison provides coordinating support and led development of software infrastructure in partnership with the Global Organization for Earth System Science Portals.

# **Observed and Projected Snowmelt Runoff in the Rio Grande Headwaters in a Changing Climate**

**by Nels Bjarke**

**B.S., Earth and Planetary Science, University of New Mexico, 2014**

## **ABSTRACT**

As climate has warmed over the past half century, the strength of the covariance between interannual snowpack and streamflow anomalies in the Rio Grande headwaters has decreased. This change has caused an amplification of errors in seasonal streamflow forecasts using traditional statistical forecasting methods, based on the diminishing correlation between peak snow water equivalent (SWE) and subsequent snowmelt runoff. Therefore, at a time when water resources in south-western North America are becoming scarcer, water supply forecasters need to develop prediction schemes that account for the dynamic nature of the relationship between precipitation, temperature, snowpack and streamflow. We quantify temporal changes in statistical predictive models of streamflow in the upper Rio Grande basin using observed data, and interpret the results in terms of processes that control runoff season discharge. We then compare these observed changes to corresponding statistics in downscaled global climate models (GCMs), to gain insight into which GCMs most appropriately replicate the dynamics of interannual streamflow variability represented by the hydro-climate parameters in the headwaters of the Rio Grande. We quantify how the correlations among temperature, precipitation, SWE, and

streamflow have changed over the last half century within the local climatic and hydrological system. We then assess different long-term GCM-based streamflow projections by their ability to reproduce observed relationships between climate and streamflow, and thereby better constrain projections of future flows as climate warms in the 21st century. In the Rio Grande system, we find that spring season precipitation increasingly contributes to the variability of runoff generation as the contribution of snowpack declines.

## TABLE OF CONTENTS

1. INTRODUCTION .....	1
2. DATA SOURCES .....	3
3. METHODS .....	7
4. CHANGING SNOWPACK-STREAMFLOW RELATIONSHIPS .....	12
5. SELECTION OF OBSERVATIONALLY CONSISTENT MODELS .....	16
6. DISCUSSION .....	21
7. CONCLUSION .....	28
8. TABLES AND FIGURES .....	30
9. REFERENCE LIST .....	42

1 **1. Introduction**

2 Regional climate trends in southwestern North America are observed and projected to follow the  
3 global trend of warming temperatures, which will have a significant impact on the hydrological  
4 system that supplies water to millions who live along the Rio Grande and beyond. As the climate  
5 warms, snowpack extent and volume across western North America are projected to decrease in  
6 magnitude (Mote et al., 2006), which has been shown in the observed record (Chavarria &  
7 Gutzler, 2018) in conjunction with a shift towards earlier maximum snowmelt runoff (Cayan et  
8 al., 2001; Stewart, 2009). In addition to these effects, warmer temperatures necessarily imply that  
9 more of the annual precipitation in the southwest will fall as rain rather than snow (Knowles,  
10 2006; Barnett et al., 2008). This shift can be problematic for water supply forecasters and water  
11 managers, as historically, snow volume has been highly correlated with streamflow while liquid  
12 precipitation only offers a moderate correlation (Chavarria & Gutzler, 2018). Within the context  
13 of the Rio Grande watershed, a decrease in long-term seasonal forecast certainty and water  
14 availability, combined with increasing water demands, could have serious economic consequences  
15 for those who depend on the annual water supply.

16  
17 Despite the projected decrease in snowmelt derived runoff, a significant long-term decrease in the  
18 overall streamflow of the Rio Grande has not been observed in recent decades. This is primarily  
19 due to a masking effect from an increase in the input from spring precipitation as snowpack  
20 declines (Chavarria & Gutzler, 2018). Unfortunately for water managers, as spring precipitation  
21 becomes more important to streamflow forecasting, predictions of runoff volumes become less  
22 certain due to the high variability and low predictability of the precipitation input. Compounding



23 this uncertainty is the uncertain role that temperature will play as a predictor of streamflow  
24 (Lehner et al., 2017b).

25

26 Though the short observational record introduces significant analysis uncertainty associated with  
27 interannual variability (Deser et al., 2012), there are physical processes that support the  
28 conclusion that snowpack has more variable contribution to streamflow under regional warming  
29 conditions. Earlier peak snowpack timing (Mote et al., 2006), shorter ablation season (Hurd &  
30 Coonrod, 2012), and increased sublimation off the snowpack are possible contributors to the  
31 reduction of the natural snowpack reservoir in the Rio Grande headwaters. Dust on snow  
32 processes have also been attributed to the decline in the duration of snowpack in the southwest  
33 US (Painter et al., 2007; Livneh et al., 2015). All of these physical processes are captured  
34 implicitly in statistical streamflow forecast methods, so it is not the aim of this study to directly  
35 address the specific driver(s) of the decline in the strength of the snowpack-runoff relationship.  
36 Instead, we seek to form a broader assessment of the impact that an observed warming trend is  
37 having on the seasonal predictability of the Rio Grande snowmelt driven runoff system within the  
38 observed record and compare that assessment to published model projections.

39

40 Previous studies on the snowmelt driven river systems in the southwest have applied temperature  
41 as both a direct predictive tool for seasonal streamflow forecasts (Lehner et al., 2017b) and a  
42 first-order predictor for projected trends in streamflow decline through the 21st century (Udall &  
43 Overpeck, 2017). This study critically examines the direct application of temperature as a seasonal  
44 predictor of streamflow by using calculations of the evolving correlations between streamflow,  
45 snowpack, spring precipitation and temperature in the Rio Grande headwater region within the

46 last half-century. In particular, we anchor our analysis of runoff using snowpack, which is known  
47 from previous work to be the first-order generator of streamflow in the major rivers of southwest  
48 North America (Garen, 1992). We test the efficacy of temperature, snowpack, and spring  
49 precipitation as prediction parameters for seasonal streamflow using a statistical framework to  
50 show how the hydrological system is changing within the context of a warming climate.

51  
52 Our goal is to constrain uncertainty in projections of future flows as climate warms in the 21st  
53 century. We document the multidecadal changes in covariate relationships between interannual  
54 fluctuations of climate variables and streamflow in historical observations. We then assess model  
55 performance based on the ability of individual models to reproduce trends in changing correlations  
56 between snowpack, temperature, spring precipitation, and streamflow observed in the historical  
57 data. Observationally consistent models are defined from this assessment. The subset of model  
58 projections that are defined as observationally consistent is shown to exhibit less spread in  
59 projected streamflow through the 21st century than the full ensemble of model projections that we  
60 consider.

61  
62 We also interpret our results to assess the changing contribution of climate parameters to runoff  
63 season streamflow within in the context of temperature and precipitation in the Rio Grande  
64 headwater region. This allows us to determine the cause of deficiencies in seasonal water supply  
65 outlooks that rely on stationary relationships between climate parameters and streamflow.

## 67 **2. Data Sources**

### 68 **2.1 Historical Data**

69 **2.1.1 Snowpack.** Snowpack is quantified as snow water equivalent (SWE) taken from the  
70 National Resources Conservation Service (NRCS) snow course dataset ([https :](https://wcc.sc.egov.usda.gov/nwcc/rgrpt?report=snowcourse)  
71 [//wcc.sc.egov.usda.gov/nwcc/rgrpt?report = snowcourse](https://wcc.sc.egov.usda.gov/nwcc/rgrpt?report=snowcourse)). April 1st SWE ( $SWE_A$ ) values are used  
72 in this study to represent maximum snowpack depth in the Rio Grande headwaters, which has  
73 been shown to be the case historically (Chavarria & Gutzler, 2018).

74  
75 The earliest continuous record of SWE from the snow course data begins in 1951, hence the  
76 period of record for this analysis begins in 1951. The extended length of the snow-course data set  
77 relative to SNOTEL is preferable here for its usefulness in understanding the longer-term  
78 dynamics of the hydrological system within the context of anthropogenic climate change. It should  
79 be noted that SWE values obtained from snow-course data are lower in magnitude than SWE  
80 values obtained from SNOTEL datasets due to lower elevation of snow-course measurement sites  
81 (Chavarria & Gutzler, 2018). However, because SNOTEL and snow-course data show similar  
82 interannual variability, and this study relies on methods that examine covariate relationships of  
83 climate parameters, this discrepancy in snow magnitude should not be not be problematic unless  
84 decline in snowcourse  $SWE_A$  is unrepresentative of higher elevation snowpack.

85  
86 As regional temperatures increase, it could prove effective to implement a more dynamic  
87 approach to classification of maximum snowpack by considering March SWE as maximum snow  
88 depth for later time periods in order to capture the shift towards earlier snowmelt timing (Cayan  
89 et al., 2001; Stewart, 2009). However, in this study we found that accounting for the possible  
90 shift towards earlier maximum snowpack yielded no significantly different results than considering  
91 April SWE as maximum snowpack for the whole observed record within the framework of this

92 analysis. We therefore use 1 April SWE ( $SWE_A$ ) exclusively in the analysis, and interpret  $SWE_A$   
93 as the annual metric of peak snowpack in the Rio Grande headwaters basin.

94

95 **2.1.2 Streamflow.** Daily mean discharge rates measured at the Del Norte streamgauge were taken  
96 from the National Water Information System (NWIS) run by the United States Geological Survey  
97 (USGS) ([https://waterdata.usgs.gov/nwis/inventory/?site\\_no=08220000](https://waterdata.usgs.gov/nwis/inventory/?site_no=08220000)). The Del Norte  
98 streamgauge was chosen in this study due to its location upstream from major population centers  
99 or agricultural diversions, which allows us to ignore the anthropogenic effects of water  
100 withdrawal or diversion from the Rio Grande (Mix et al., 2012; Chavarria & Gutzler, 2018;  
101 Blythe & Schmidt, 2018). Average daily discharge rates from 1951-2015 were converted into  
102 total monthly discharge values by first converting the daily mean flow rate to a total volume of  
103 water for each day. Then, total volume for each day of a month is added to arrive at a total sum  
104 for monthly water volume discharge. This allows us to relate the depth of snow and liquid  
105 precipitation to the volume of discharge that flows past the Del Norte gauge.

106

107 Monthly total values of discharge are summed into annual runoff season values. The runoff season  
108 in this study is defined as April-June, so the total monthly discharges for these months are added  
109 together to create a data set of total annual runoff season discharge ( $Q_{RO}$ ) from 1951-2015. Other  
110 classifications of the runoff season were considered such as March-June and April-July, however  
111 March 1st snowpack did not fully capture the extent of the maximum annual snowpack and  
112 monsoonal rains in mid-late July confounded interpretation of  $Q_{RO}$  as derived from snowmelt.

113 **2.1.3 Temperature and Precipitation.** In order to capture the temperature and precipitation  
114 across the entire Rio Grande Headwater region (Figure 1b), values were obtained from Oregon  
115 State's WestMap PRISM dataset over the area of study. PRISM data are particularly useful for  
116 this study due to their spatial interpolation of precipitation and temperature using observed point  
117 measurements across a high elevation region where a comprehensive data coverage is not readily  
118 available (Daly, 2008). Monthly average max temperature and monthly total precipitation are  
119 obtained from PRISM and are converted into seasonal values. Winter season is denoted here as  
120 December-March ( $T_{WI}, P_{WI}$ ) and the spring season is denoted as April-June ( $T_{SP}, P_{SP}$ ), such that  
121  $SWE_A$  represents snowpack following the winter season and prior to the spring season. The spring  
122 season is particularly useful for this study as it allows us to observe the increasingly impactful  
123 runoff season precipitation (Chavarria & Gutzler, 2018) and the usefulness of temperature as a  
124 seasonal predictor for discharge (Lehner et al., 2018).

125 [https://cefa.dri.edu/Westmap/Westmap\\_home.php?page=timeseries.php](https://cefa.dri.edu/Westmap/Westmap_home.php?page=timeseries.php)

## 126 **2.2 Climate Model Output.**

127 **2.2.1 Historical and Projected GCM Output.** Simulated climate data are obtained from the  
128 Bureau of Reclamation (BOR) published bias-corrected spatially-disaggregated (BCSD) CMIP5  
129 model ensemble output (Reclamation, 2013). This global climate model (GCM) output set is  
130 produced by using statistical spatial disaggregation methods to increase the spatial resolution of  
131 output from the CMIP5 ensemble to 1/8th degree square grid cells. Precipitation and temperature  
132 output from individual GCMs are bias-corrected in order to allow for comparison to historical  
133 values (Reclamation, 2013). Access to this publicly available dataset and explanation of methods

134 used in its generation can be found at: [https://gdo-dcp.ucllnl.org/downscaled\\_cmip](https://gdo-dcp.ucllnl.org/downscaled_cmip)  
135 [projections/dcpInterface.html](https://gdo-dcp.ucllnl.org/downscaled_cmip_projections/dcpInterface.html)

136 Spatial extent of the GCM output is chosen by selecting the location of Del Norte streamgauge as  
137 the pour point for streamflow, and all grid cells in which precipitation falls into the upstream  
138 watershed and thereby contributes to streamflow at Del Norte are considered here. Streamflow is  
139 produced in the BOR projections by feeding the precipitation and temperature output from each  
140 individual GCM into the Variable Infiltration Capacity (VIC) land-surface model (Reclamation,  
141 2014). Monthly values of projected climate parameters are aggregated into annual values of total  
142 seasonal discharge, total seasonal precipitation, and mean seasonal temperature for purposes of  
143 comparing historical observations to climate model projection data. April 1st SWE is also used to  
144 represent maximum snowpack for the model projections for comparison of the retrospective  
145 model simulations to the historical observations.

146

### 147 **3. Methods**

#### 148 **3.1 Historical Observation Analysis**

149 **3.1.1 Correlations.** The initial step for understanding how streamflow is modulated by the  
150 different climate parameters is to systematically calculate the covariate relationships between  
151 interannual fluctuations of SWE, precipitation, temperature, and streamflow. We identify two  
152 different time periods for this approach: an early time period (1951-1983) which represents  
153 climate minimally impacted by anthropogenic climate change and a late time period (1983-2015)  
154 which represents climate more significantly impacted by anthropogenic climate change (Chavarria  
155 & Gutzler, 2018). We generate a correlation table for each time period by calculating the Pearson

156 correlation between interannual fluctuations of each pair of parameters for a given period. This  
157 allows us to quantify covariation between individual parameters and, by comparing the results  
158 from the two time periods, understand how those covariate relationships have changed between  
159 early and late periods in the observed record.

160

161 **3.1.2 Step-Wise Linear Regression Models.** We implement statistical models for the two  
162 different time periods using a step-wise approach for the purpose of assessing the predictive utility  
163 of individual parameters to account for interannual variability of streamflow, and to clarify mutual  
164 correlation effects on the interannual variability of streamflow.  $SWE_A$  is used as the first order  
165 predictor for all cases in this method, as it is shown to have the highest direct correlation with  
166 runoff season discharge for all observational times periods (Garen, 1992) and is directly physically  
167 related to the subsequent  $Q_{RO}$ . Second and third order predictors are added to the models in  
168 varied sequences in order to understand how much interannual streamflow variability can be  
169 attributed to parameters individually, after the contribution of snowpack has been accounted for.  
170 This method is performed as follows:

- 171 1. Each model is trained on total runoff season discharge for each year in the given time  
172 period using a linear regression with  $SWE_A$  for each year to produce derived linear coefficients.
- 173 2.  $SWE_A$  values for each year are multiplied by the linear regression coefficients derived in  
174 step 1 to produce a linear hindcast of  $Q_{RO}$  based only on  $SWE_A$  values.
- 175 3. A vector of residuals is produced by subtracting the hindcasted streamflow produced in  
176 step 2 from the observed  $Q_{RO}$  for each year.

177 4. The next set of linear models is trained on the vector of residuals produced in step 3 using  
178 a linear regression with either  $P_{SP}$  or  $T_{SP}$ .

179 5. Either  $P_{SP}$  or  $T_{SP}$  values (whichever is used in step 4) is multiplied by the linear coefficients  
180 derived in step 4 to produce a linear hindcast of the residuals based on whichever climate  
181 parameter was used in this step.

182 6. Steps 3-5 are repeated for the parameter not selected for use in steps 4 & 5.

183 A schematic summary of the order of the steps of the regression models is shown below. The  
184 third column only shows two steps as a bivariate approach to the addition of spring precipitation  
185 and temperature is applied here. The bivariate method is used to observe how the results would  
186 change if no order preference is given to either precipitation or temperature. The results of the  
187 step-wise linear regression models give us insight into the contribution of predictive climate  
188 parameters to  $Q_{RO}$  for all time periods considered. We are able to understand the contribution of  
189 correlated climate parameters to  $Q_{RO}$  by adding parameters to the regression models in different  
190 orders and comparing the results of the prediction skill associated with different ordered models.

1. Step1:	$Q = aSWE_A + b$	$Q = aSWE_A + b$	$Q = aSWE_A + b$
2. Step2:	$Q_{11} = cT_{SP} + d$	$Q_{12} = cP_{SP} + d$	$Q_{13} = cP_{SP} + dT_{SP} + e$
3. Step3:	$Q_{21} = eP_{SP} + f$	$Q_{22} = eT_{SP} + f$	

192 We assess the overall performance of each statistical model and the increase in predictive skill  
193 associated with the addition of each parameter. The entire timespan (1951-2015) will be evaluated  
194 using all model formats, in addition to regression based only on the early (1951-1983) and late  
195 (1983-2015) time periods. We also examine several overlapping 30-year periods that progress



196 from the early to late time period to compare how the predictive skill associated with the addition  
197 of each parameter progresses through the entire observational time period.

198  
199 The models described above allow us to determine the skill attributable to individual predictive  
200 parameters in seasonal streamflow hindcasts for a given (dependent) time period, but do not allow  
201 us to assess how well the models will perform when applied to different (independent) time  
202 periods. To examine how well the models perform when applied to independent time periods, we  
203 will apply the derived parameter coefficients from one time period to the data from the alternate  
204 time period and compare the results of the linear prediction of  $Q_{RO}$  to the observed historical data.  
205 This will allow us to determine biases that are present from derived parameters in the statistical  
206 models and allow us to observe shifts in parameter behavior through time.

207  
208 We use several metrics to analyze model skill. Root-mean-square error (RMSE) diagnoses the  
209 average annual error in streamflow prediction and the absolute error reduced with the addition of  
210 each parameter in each step. We calculate the RMSE reduction associated with the addition of  
211 each parameter after the initial SWE regression in order to compare the error reduction across all  
212 statistical models.

213

## 214 **3.2 BOR BCSD GCM Output Analysis.**

215 **3.2.1 Model Projections.** We first examine the BCSD output of the all GCM projections in order  
216 to observe ensemble trends and model spread. We subdivide the output into the four  
217 representative concentration pathways (RCPs) used in the CMIP5 model ensemble. Winter (Dec-

218 Mar) and spring (Apr-Jun) temperature and precipitation, April 1st SWE, and total runoff season  
219 (Apr-Jun) discharge are all examined for each RCP. A moving-window 30-year average for each  
220 parameter is applied to all members of each RCP ensemble to observe trends in mean climatology  
221 (IPCC, 2013). We use the ensemble mean change in each parameter from the observational time  
222 period (1960-1989) to the late 21st century (2050-2079) as metric to determine long-term  
223 changes within the entire ensemble for each RCP forcing.

224  
225 The bias-correction applied to each GCM simulation fits the cumulative distribution function  
226 (CDF) of each parameter for each month produced by the simulation to the CDF of the same  
227 parameter in an observational dataset for each month (Reclamation, 2013). The bias correction is  
228 applied to both the retrospective simulation period (1950-1999) and the projected simulation  
229 period (2000-2099). Therefore, the spread in the projections within each RCP ensemble is  
230 associated with model spread and not a significant change in the interannual variability.

231  
232 **3.2.2 Step-Wise Linear Regression Models.** The same step-wise regression techniques  
233 developed for historical observations are applied to the BCSD CMIP5 model outputs for four 30-  
234 year time periods through the end of the 21st century (1960-1989,1990-2019,2020-2049,2050-  
235 2079). We compare the results of regression models applied to each member of the BCSD  
236 CMIP5 ensemble to results of regression models applied to historical observations by comparing  
237 the fraction of interannual streamflow variability associated with each climatological parameter in  
238 both historical and future epochs.

## 239 **4. Changing Snowpack-Streamflow Relationships**

240 **4.1 Parameter Correlations.** Pearson correlations between parameters (Table 1) reveal, as  
241 expected, a significant linear relationship between  $SWE_A$  and  $Q_{RO}$  in both early and late time  
242 periods analyzed. However, there is a dramatic decline in the strength of this correlation between  
243 these two periods coincident with the onset of significant warming trends over the region (Figure  
244 2).  $SWE_A$  accounts for 79% of the interannual variability of runoff season discharge for years  
245 1951-1983, which decreases to 45% for the years 1983-2015. Despite this significant decrease in  
246 correlation and a downward trend in headwater snowpack over the same time period, there is no  
247 significant downward trend in total runoff season discharge in the historical observations at Del  
248 Norte (Chavarria & Gutzler, 2018).

249  
250 Conversely, the strength of the correlation between annual anomalies of  $P_{SP}$  and  $Q_{RO}$  increases  
251 through the span of 1951-2015. Early time period observations show that  $P_{SP}$  accounts for 11% of  
252 the interannual variability of  $Q_{RO}$ , which doubles to 22% for the late time period. Earlier work has  
253 noted this observed trend in the Rio Grande headwaters (Chavarria & Gutzler, 2018). We  
254 investigate further the significance of spring precipitation in the hydrological system and its  
255 relationship with spring temperature, a parameter that has been given significant attention in  
256 previous endeavors to understand climate change impacts on streamflow (Vano et al., 2014; Udall  
257 & Overpeck, 2017; Lehner et al., 2017b).

258  
259 A well understood feature of regional climatology, shown in Table 1, is the strong (negative)  
260 correlation between fluctuations of precipitation and temperature. We observe this relationship in  
261 the Rio Grande headwater region, which complicates the interpretation of either individual

262 parameter as the cause of streamflow variability within a single linear regression. The structure of  
263 the step-wise regression models used in this study allows us to understand the contribution of  $P_{SP}$   
264 and  $T_{SP}$  individually to the interannual variability of  $Q_{RO}$  in the observed record.

265 **4.2 Regression Results.** The significant changes in the direct contribution of predictive  
266 parameters to the interannual variability of  $Q_{RO}$  are coincident with the onset of observable  
267 warming trends in the Rio Grande headwater region (Figure 2). In the early period of the  
268 historical record (1951-1983), we observe that  $SWE_A$  accounts for a large fraction (79%) of the  
269 interannual variability of streamflow at the Del Norte stream gauge (Table 2d). The addition of  
270  $P_{SP}$  and/or  $T_{SP}$  in subsequent steps of the step-wise regression yields minimal and non-significant  
271 error reduction in all three of the statistical model structures. Neither  $P_{SP}$  or  $T_{SP}$  is significantly  
272 contributing directly to total runoff season discharge variability independent of  $SWE_A$  for this time  
273 period.

274 In the later time period,  $SWE_A$  has much less predictive power. Less than half (45%) of the  
275 interannual variability of  $Q_{RO}$  can be accounted for with only  $SWE_A$  as a predictor in the linear  
276 regression (Table 2e). When added as a second predictor in the step-wise structure, both  $P_{SP}$  and  
277  $T_{SP}$  terms significantly reduce the error of the regression model (Step 2 in Table 2e, middle and  
278 right columns).  $P_{SP}$  added to the model structure as a third order predictor, after  $SWE_A$  and  $T_{SP}$ ,  
279 still reduces the error of the model significantly (Step 3 in Table 2e, middle column). However,  
280 when spring temperature is added as a third order predictor, after  $SWE_A$  and  $P_{SP}$ , there is no  
281 significant error reduction in the model (Step 3 in Table 2e, right column).

282 For both time periods, a third model structure that applies a bivariate approach to the addition of  
283 spring precipitation and temperature (not shown) yields nearly identical results to the model  
284 structure that adds predictive parameters in the stepwise order  $SWE_A \rightarrow P_{SP} \rightarrow T_{SP}$ . The bivariate  
285 approach gives no priority to the weight of either  $P_{SP}$  or  $T_{SP}$  in the regression scheme. Nearly  
286 identical results of the bivariate approach and the  $SWE_A \rightarrow P_{SP} \rightarrow T_{SP}$  ordered regression is  
287 consistent with the results of the three step regressions that imply an increasingly important role  
288 of  $P_{SP}$  on the interannual variability of  $Q_{RO}$ , more so than the addition of  $T_{SP}$ .

289 **4.3 Full Ensemble BCSD GCM Projections.** We examine the climatic changes and uncertainty  
290 of all climate parameters considered in the historical observations in the Rio Grande headwaters  
291 basin associated with each ensemble of CMIP5 simulation, separately for each emission scenarios.  
292 We identify the climatic changes by examining the difference in the ensemble mean for each  
293 parameter between 30-year periods in the latter half of the 21st century (2050-2079), and an  
294 earlier epoch during the historical time period (1960-1989). We begin the analysis of the BCSD  
295 GCM simulations in 1960 to avoid any model spin-up effects.

296  
297 When examining the ensemble mean of the entire ensemble for each emission scenario of the  
298 BCSD GCM output, we see that there is significant dependence on emission scenario through the  
299 end of the 21st century (Table 3a). For simplification of discussion, we will specifically examine  
300 the results for the lowest emission scenario (RCP2.6) and the highest emission scenario (RCP8.5)  
301 as the two end members of this analysis, with the two middle emission scenarios (RCP4.5 and  
302 RCP6.0) producing ensemble means that lie between the end member ensemble means.

303 We note that the 30-year means of all climate variables, with the exception of temperature, show  
304 significant sampling uncertainty when considering each entire emission scenario ensemble due to  
305 natural variability. The following is a summary of the results of Table 3a for the differences in the  
306 high and low emission scenarios:

307 1.  $SWE_A$  decreases slightly for the RCP2.6 ensemble means, and declines significantly for the  
308 RCP8.5 ensemble means.

309 2. The RCP2.6 ensemble mean  $P_{SP}$  increases slightly, but will be considered as no significant  
310 change due to the uncertainty associated with the mean shift ( $\Delta = 0.14cm$  &  $\sigma = 0.35cm$ ). The  
311 RCP8.5 ensemble mean  $P_{SP}$  decreases significantly ( $\sim 5\%$ ) through the end of the 21st century.

312 3. The  $T_{SP}$  RCP2.6 and RCP8.5 ensemble means increase by  $\sim 1^\circ C$  and  $\sim 2^\circ C$  respectively  
313 by the latter half of the 21st century.

314 4. The RCP2.6 ensemble mean  $Q_{RO}$  increases slightly and the RCP8.5 ensemble mean  $Q_{RO}$   
315 decreases slightly. However, significant uncertainty associated with all of the emission scenario  
316 ensembles reduces our confidence to assert significant change in  $Q_{RO}$  for any emission scenario.

317

318 We examine the dependence of a mean shift in  $Q_{RO}$  on changes in mean  $P_{SP}$ ,  $SWE_A$ , and  $T_{SP}$  from  
319 the retrospective simulation period (1960-1989) to the late 21st century (2050-2079) for each  
320 simulation in the entire ensemble (Figures 4a-4c). Consistent with the contribution of climate  
321 parameters to  $Q_{RO}$  variability in the observational data, mean changes in simulated  $Q_{RO}$  are highly  
322 correlated with changes in mean  $P_{SP}$  and  $SWE_A$ , but have no significant correlation with  $T_{SP}$  for the

323 entire ensemble. There is emission scenario dependence on the location of the centroid of each  
324 subset of simulations, but the linear dependence of changes in mean  $Q_{RO}$  on changes in mean  
325  $SWE_A$  and  $P_{SP}$  is consistent for all RCP subsets. Equally, none of the RCP subsets reveal any linear  
326 dependence of mean changes  $Q_{RO}$  on mean changes of  $T_{SP}$ .

## 327 **5. Selection of Observationally Consistent Models**

328 **5.1 Selection Metrics.** The comparison of parameter contribution to  $Q_{RO}$  in the BCSD models  
329 within the observational time period allows us to determine which models are effectively  
330 reproducing the trends in parameter contribution to  $Q_{RO}$  in observational data over the historical  
331 period.

332  
333 In order to select Observationally Consistent Models (OCMs), models that most effectively  
334 simulate the evolving climate-hydrology relationship with reference to observations, we generate  
335 metrics based on results from the step-wise linear regression models applied to the observational  
336 data. By selecting models that are consistent with observational trends in parameter contribution  
337 to streamflow variability in the historical time period, we are potentially able to reduce uncertainty  
338 in projections of streamflow through the end of the 21st century that arises from significant model  
339 spread in the entire ensemble.

340  
341 The selection of OCMs is based on a set of criteria derived from observed trends in parameter  
342 skill that result from the step-wise regression models applied to the historical data. We define the  
343 criteria for the selection of OCMs as follows:

344

345 **Criterion 1: Is a majority of the interannual variability of  $Q_{RO}$  attributed to  $SWE_A$  during**  
346 **the early period (1960-1989) of the retrospective simulation?** A fraction of the interannual  
347 variability of  $Q_{RO}$  attributed to  $SWE_A$  ( $r^2 > 0.6$ ) determined by  $r^2(Q_{RO}, SWE_A)$  resultant from the  
348 first step of the step-wise regression models during the early time period (1960-1989) of the  
349 retrospective simulation.

350 **Historical**  $r^2(Q_{RO}, SWE_A) = 0.79$

351 **Criterion 2: Does the fraction of interannual variability of  $Q_{RO}$  attributed to  $SWE_A$  decrease**  
352 **between the two periods of the retrospective simulation?** A decrease of ( $r^2 > 0.1$ ) in the  
353 fraction of interannual variability of  $Q_{RO}$  attributed to  $SWE_A$  in the historical time period of the  
354 model projections determined by the  $\Delta r^2(Q_{RO}, SWE_A)$  resultant from the first step of the step-wise  
355 regression models between the early time period (1960-1989) to the later time period (1990-  
356 2019).

357 **Historical**  $\Delta r^2(Q_{RO}, SWE_A) = -0.34$

358 **Criterion 3: Does  $P_{SP}$  contribute a significant fraction to the interannual variability of  $Q_{RO}$**   
359 **during the late period (1990-2019) of the retrospective simulation?** A fraction of the  
360 interannual variability of  $Q_{RO}$  attributed to  $P_{SP}$  ( $r^2 > 0.1$ ) determined by  $r^2(Q^1_{RO}, P_{SP})$  resultant from  
361 the second step of the step-wise regression models during the later time period (1990-2019)  
362 during the historical time period.

363 **Historical**  $r^2(Q^1_{RO}, P_{SP}) = 0.21$

364



365 **Criterion 4: Does the seasonal predictability of  $Q_{RO}$  decrease between the two periods of the**  
366 **retrospective simulation?** A decrease of ( $r^2 > 0$ ) in the fraction of the interannual variability of  
367  $Q_{RO}$  attributed to all three parameters using the bivariate approach to the addition of  $P_{SP}$  and  $T_{SP}$   
368 from the early period (1960-1989) to the late period (1990-2019) of the retrospective simulations.  
369 **Historical  $\Delta r^2(Q_{RO}, (SWE_A, (P_{SP}, T_{SP}))) = -0.13$**

370 We note that the selection of OCMs is based on the result of applying the step-wise regression  
371 models to individual BCSD simulations, not ensemble averages. We select individual GCM  
372 simulations as observationally consistent, and therefore there is no discrimination between  
373 different RCPs or GCMs when identifying a simulation as an OCM.

374  
375 Simulations from the same GCM might be observationally consistent for just a subset of the  
376 multiple RCPs for which that GCM was run due to natural variability. Equally, a subset of  
377 simulations from multiple GCMs for the same RCP can be classified as observationally consistent,  
378 while the same subset of simulations will not necessarily be classified as observationally consistent  
379 for a different RCP.

380 Figures 3a and 3b, along with Table 4, show the results of selecting GCM simulations as OCMs  
381 based on the criteria based on the results of step-wise regression models applied to the historical  
382 observations. From the entire ensemble of 97 simulations, 14 simulations are selected as  
383 observationally consistent based on the criteria proposed. Not all of the realizations from a single  
384 GCM are selected as observationally consistent, due to the simulation of natural variability in the  
385 GCM compared to the natural variability in the observational data. Simulations that pass most,

386 but not all, of the criteria are highlighted in yellow in Table 4. These simulations are not  
387 considered as OCMs in the analysis that compares the OCM subset to the non-OCM subset, but  
388 are noted as a recognition of the somewhat arbitrary nature of setting a threshold to determine  
389 OCMs.

390 **5.2 Observationally Consistent Models.** To examine the ability of each BCSD GCM simulation  
391 to reproduce the climatic shifts observed in the historical observations, we apply the same step-  
392 wise regression methodology applied to the observational data to all simulations. Models are  
393 selected to be OCMs based on the four criteria proposed in section 5.1.

394

395 We examine the OCM subset of the entire ensemble of BCSD GCMs to the models not classified  
396 as OCMs to determine differences in ensemble means and variance. Due to the small population  
397 (and associated sampling uncertainty) of OCMs within each emission scenario, it is useful to  
398 compare the OCMs for all emission scenarios to the non-OCM subset for all emission scenarios.  
399 In order to make this comparison, we compare the two subsets of GCMs using the mid-century  
400 (2020-2049) projections and retrospective simulations of the historical period (1960-1989) which  
401 will allow us to avoid the differences in diverging GCM projections (shown in Table 3a) that arise  
402 from differing emission scenarios in later decades (IPCC, 2013).

403

404 The following is a summary of the results of Table 3c and Figure 5, the differences in the OCM  
405 and non-OCM subsets from the entire BCSD GCM ensemble through the mid-century:

406

407 1. Both the OCM subset (14 simulations) and the non-OCM subset (83 simulations) show  
408 similar width of distributions for the mean changes in all climate parameters except  $Q_{RO}$ , as  
409 represented by the standard deviation ( $\sigma$ ) of the ensemble mean for each subset.

410 2. Both the OCM and non-OCM subsets simulate decreased ensemble mean  $SWE_A$  and  $P_{SP}$   
411 through the mid-century. However, the simulated decrease in the ensemble mean for the OCM  
412 subset is greater in magnitude for both parameters.

413 3. The OCM subset simulates slightly less ensemble mean temperature increase through the  
414 mid-century compared to the non-OCM ensemble mean.

415 4. The OCM subset simulates a significant decrease in  $Q_{RO}$  for the ensemble mean through  
416 the midcentury, with a significantly smaller distribution than the non-OCM subset, which projects  
417 an ensemble mean increase in  $Q_{RO}$  through the mid-century.

418 For reference, we also compare the OCM subset of each emission scenario to their respective  
419 emission scenario ensemble with the acknowledgement that sampling uncertainty of the OCM  
420 subset is large compared to each emission scenario ensemble (Table 3b). For this comparison, we  
421 use the latter half of the 21st century (2050-2079) and the retrospective simulations of the  
422 historical period (1960-1989) because we individually consider the diverging emission scenario  
423 ensembles.

424

425 The change in each climate parameter within the OCMs through the latter half of the 21st century  
426 is dependent on the emission scenario ensemble, as expected from the same analysis applied to the  
427 entire emission ensemble (Table 3b). Compared to each entire emission scenario ensemble, the  
428 OCM ensemble means indicate significant decreases in  $Q_{RO}$ ,  $P_{SP}$  and  $SWE_A$  through the end of the

429 21st century. The simulations have much larger distributions due to the sampling uncertainty  
430 associated with small sample sizes of the OCM subsets for each emission scenario.

431  
432 We note that the comparison of changes in 30-year means of climate parameters ( $P_{SP}$ ,  $SWE_A$ , and  
433  $T_{SP}$ ) and  $Q_{RO}$  through the end of the twenty-first century in Fig. 4 is not a product of step-wise  
434 regression analysis. The linear relationships between  $P_{SP}/SWE_A$  and  $Q_{RO}$  are consistent for both  
435 the OCM-subset ensemble of simulations and the entire ensemble for each RCP. However, despite  
436 there being no significant linear relationship between changes in  $T_{SP}$  and  $Q_{RO}$  based on all  
437 simulations for any of the RCPs, there is a significant, but weak, negative correlation between  $T_{SP}$   
438 and  $Q_{RO}$  for the OCM-subset of simulations (Fig. 4c). This result is consistent with the analysis of  
439 hydroclimate observations that shows a strong negative correlation between regional spring  
440 temperature and precipitation anomalies (Table 1). The linear relationship between changes in  $T_{SP}$   
441 and  $Q_{RO}$  for the OCM-subset through the end of the 21<sup>st</sup> century is a result of the same negative  
442 correlation between  $T_{SP}$  and  $P_{SP}$  and strong linear relationship between changes in  $P_{SP}$  and  $Q_{RO}$  for  
443 the same time period.

444

## 445 **6. Discussion**

### 446 **6.1 Trends in the Historical Observations**

447 **6.1.1 SWE.** The result of the decreased skill of  $SWE_A$  as a first-order predictor for  $Q_{RO}$  for the Rio  
448 Grande headwaters within the observational record supports previous results that indicate the  
449 inappropriateness of the stationarity assumption in historical regression techniques used for  
450 seasonal streamflow prediction, within the context of a regional warming trend (Garen, 1992;  
451 Milly et al., 2008.; Lehner et al., 2017a). This result alone has significant implications for

452 operational streamflow forecasters that still primarily rely on regression techniques for the  
453 prediction of seasonal runoff (Garen, 1992). The decline in seasonal forecast skill associated with  
454 snowpack measurements will likely reduce the ability of regional water managers in the southwest  
455 to effectively plan for water management in snowmelt-dominated rivers (Chavarria & Gutzler,  
456 2018).

457 **6.1.2 Spring Precipitation and Temperature.** The independent contribution of  $P_{SP}$  and  $T_{SP}$  to  
458 the interannual variability of streamflow in the early time period (1951-1983) of this analysis is  
459 essentially zero. During that 33-year period,  $SWE_A$  is such a dominant contributor to streamflow,  
460 that there is little error to reduce in the prediction scheme with the addition of  $P_{SP}$  and  $T_{SP}$ . With  
461 the onset of regional warming trends and the reduction of the contribution of  $SWE_A$  to the  
462 interannual variability of streamflow, we observe the increase in the independent predictive power  
463 of  $P_{SP}$  for  $Q_{RO}$ . We also observe an increase in the predictive power of  $T_{SP}$  as a second-order  
464 predictor of  $Q_{RO}$ , but the addition of both  $P_{SP}$  and  $T_{SP}$  as third-order predictors yields results that  
465 clarifies the effect of the strong negative correlation between the two parameters.

466 The error reduction of the statistical model with the addition of  $P_{SP}$  as both a second order and  
467 third order predictor is significant in the later time period. The addition of  $T_{SP}$  as a second order  
468 predictor of  $Q_{RO}$  is significant during the same time period but is not significant as a third order  
469 predictor of  $Q_{RO}$ . This reveals that when  $P_{SP}$  is accounted for in the statistical model fit to  
470 observations,  $T_{SP}$  yields no additional predictive power, but when  $T_{SP}$  is added to the model first,  
471  $P_{SP}$  is still able to offer predictive power for a significant fraction of the interannual variability of  
472  $Q_{RO}$ .

473

474 We interpret these results to show the increasing importance of spring precipitation as a  
475 contributor to the interannual variability of runoff season discharge, within the context of  
476 significant regional snowpack decline. There is little evidence of direct contribution of springtime  
477 temperatures on  $Q_{RO}$  through evapotranspiration processes, independent of precipitation  
478 variability. For small-scale, small-magnitude climate change, separating the effects of precipitation  
479 and temperature on streamflow can inform interpretation of climate model output (Vano et al.,  
480 2014). However, our results indicate that for larger, basin-scale climate change, precipitation and  
481 temperature cannot be treated as independent variables affecting streamflow separately (Lehner et  
482 al., 2017b; Udall & Overpeck, 2017).

483 The minimal contribution of temperature to  $Q_{RO}$  shown in this study challenges recent studies that  
484 have attributed declines in future streamflow in the southwestern US to direct temperature effects  
485 (Udall & Overpeck, 2017.; Lehner et al., 2017b). Applying temperature directly as a linear  
486 predictor for decline in streamflow ignores the strong negative correlation between temperature  
487 and precipitation in the region. Though there is likely skill associated with the addition of  
488 temperature as a predictor of streamflow without the addition of precipitation within a seasonal  
489 forecast framework, our results suggest that the skill associated with temperature is primarily due  
490 to snowpack decline, with residual apparent temperature effects due to the interannual correlation  
491 between temperature and precipitation.

492 Future seasonal forecasts that would apply temperature as direct predictor for streamflow would  
493 also rely on the stationarity of the relationship between temperature and precipitation. Our

494 analysis find no empirical evidence that  $\Delta Q_{RO}$  scales linearly with the  $\Delta T_{SP}$  in the Rio Grande  
495 headwaters as implied by previous studies of the impacts of regional warming on water resources  
496 in the southwest US.

497 **6.1.3 Seasonal Predictability.** The observed decrease in seasonal forecast skill of runoff-season  
498 streamflow associated with snowpack and the increasingly important contribution of spring  
499 precipitation presents a serious problem for water managers. Methods that would increase  
500 seasonal predictability of precipitation, particularly in the spring/summer seasons, will play a  
501 critical role in the future of seasonal streamflow forecasting. There is a significant body of work  
502 that has focused on the predictability of winter precipitation in North America, primarily using El  
503 Nino Southern-Oscillation signals (Ropelewski & Halpert, 1986; Gershunov & Barnett, 1998;  
504 Deser et al., 2018), but there have not been significant advances in prediction skill for  
505 spring/summer precipitation for southwestern North America. The application of soil moisture  
506 patterns for the monthly-seasonal scale forecasts of precipitation shows some promise (Liu 2003),  
507 but there has been limited realization of increased prediction skill using soil moisture for  
508 operational use.

## 509 **6.2 GCM Projections**

510 **6.2.1 Temperature.** Projections of temperature through the end of the 21st century contain the  
511 least amount of uncertainty of all climate parameters that are considered in this study (IPCC,  
512 2013; Udall & Overpeck, 2017). Ensemble means of temperatures show steady increase through  
513 the first half of the 21st century for all emission scenarios for both spring and winter temperatures.  
514 The ensemble means of different emission scenarios begin to diverge from one another at the mid-  
515 century mark, a result that is consistent with the different carbon emission goals (RCPs) diverging

516 at the same time (IPCC, 2013). The 'business as usual' RCP8.5 emission scenario is closest to the  
517 path of current global emissions. The RCP8.5 emission scenario ensemble shows the most  
518 significant changes in the ensemble mean of other climate model parameters by the end of the 21st  
519 century and yields the most significant change in the hydrological system.

520 **6.2.2 Winter Precipitation and SWE.** Winter precipitation shows a slight to moderate increase  
521 through the end of the 21st century for the ensemble mean of all emission scenarios in these  
522 CMIP5 simulations, while  $SWE_A$  shows nearly no change in the ensemble mean for the RCP2.6  
523 emission scenario and a decrease for the RCP8.5 emission scenario. The combination of  
524 significantly warmer  $T_{WI}$  in combination with increased  $P_{WI}$  for RCP2.6 emission scenario yields a  
525 similar mean value of  $SWE_A$ , with a smaller fraction of the total winter precipitation falling as  
526 snow. For the RCP8.5 emission scenario, the ensemble mean reduction of  $SWE_A$  would indicate  
527 that an even smaller fraction of the winter precipitation is falling as snow despite the input of  
528 increased  $P_{WI}$ . This effect, in conjunction with the previously stated physical drivers for the change  
529 in the timing and duration of the snowpack, will likely complicate further the future application of  
530 statistically driven seasonal streamflow forecasts.

531

532 **6.2.3 Spring Precipitation.** Consistent with observations of  $P_{SP}$  in the observational record,  
533 spring precipitation shows high interannual variability for all model projections through the 21st  
534 century. Only the RCP8.5 ensemble mean shows a significant downward trend in  $P_{SP}$  through the  
535 end of the 21st century (Table 3a), with all other emission scenario ensembles showing no  
536 significant trend. With the shift towards an increased significance of the contribution of  $P_{SP}$  to the  
537 interannual variability of  $Q_{RO}$  within the context of warming trends in the observed record, trends



538 in the projection of mean  $P_{SP}$  significantly impact trends of projected mean  $Q_{RO}$  through the 21st  
539 century.

540 **6.2.4 Runoff.** The ensemble mean projections of  $Q_{RO}$  through the end of the 21st century are  
541 consistent with the trends of the correlation of  $Q_{RO}$  with the climate parameters in the observed  
542 record. The dominant driver of changes in ensemble mean  $Q_{RO}$  is significant trends in mean  $P_{SP}$  for  
543 each emission scenario. RCP8.5 is the only emission scenario that shows a significant downward  
544 trend in mean  $Q_{RO}$ , which coincides with a negative trend in  $P_{SP}$  and  $SWE_A$  through end of the 21st  
545 century. While snowpack is the primary physical driver of  $Q_{RO}$ , we observe a stronger positive  
546 correlation between changes in mean  $P_{SP}$  and  $Q_{RO}$ , than  $SWE_A$  and  $Q_{RO}$ . Consistent with the results  
547 of this analysis applied to the observational data, there is no significant evidence that the increase  
548 in mean  $T_{SP}$  will directly contribute to loss of streamflow through physical processes such as  
549 evapotranspiration through the 21st century.

550

### 551 **6.3 Observationally Consistent Models.**

552 The statistically driven framework for selecting OCMs relies on metrics that are susceptible to the  
553 uncertainty associated with natural variability. However, the large spread of projections motivates  
554 a procedure to select models that best reproduce historical trends in the regional hydroclimate  
555 relationships. We propose a procedure here based on strong trends in  $SWE_A$ - $Q_{RO}$  covariance, in  
556 addition to trends in trends in the contribution of  $P_{SP}$  to interannual  $Q_{RO}$  variability. We interpret  
557 these trends as a forced climate signal that models should reproduce if we are to have high  
558 confidence in future streamflow projections.

559

560 There is no expectation that the retrospective simulations considered here will match the natural  
561 variability in the observed record, but the BCSD models have been shown to effectively simulate  
562 climate interactions on both annual and seasonal scales (Wood et al., 2004). Though there is  
563 uncertainty associated with the downscaling method used to convert from GCM scale projections  
564 to projections useful for regional analysis, there is no expectation that any downscaling method  
565 should impact the interannual variability of projections averaged seasonally and over a large area  
566 (Gutmann et al., 2014).

567  
568 The downscaling technique used could significantly impact the expression of extreme events (ie.  
569 droughts, flooding) (Timmermans et al., 2018), but the spatial and temporal averaging applied to  
570 the observational data and projected model output used in this study should alleviate the problems  
571 associated with simulating extreme short-term weather.

572 The statistical method applied here proposes a tool for assessing confidence in model-projected  
573  $Q_{RO}$  trends. We evaluate each simulations ability to simulate historical impacts of regional  
574 warming on climate-hydrology interaction. Identifying models that successfully reproduce trends  
575 in the contribution of climate parameters to streamflow in the retrospective simulation allows for  
576 the reduction of uncertainty associated with significant model spread in future years. The OCMs  
577 selected in this application reduce the spread of models for the entire ensemble and each emission  
578 scenario.

579  
580 Of notable interest is the elimination of a majority of the model projections that produce increased  
581 mean streamflow through the end of the 21st century compared to the observational time period.

582 Reduction of confidence in the BCSD GCM projections that simulate increased mean streamflow  
583 through the end of the 21st century is of great value for long-term water management policy in  
584 the southwest.

585

## 586 **7. Conclusion**

587 **7.1 Historical Observations** Increase in runoff season streamflow forecast uncertainty due to the  
588 decrease in skill associated with snowpack during the last half-century poses a significant problem  
589 for the management of water resources. Furthermore, we have shown that a larger fraction of the  
590 variability of modern runoff season discharge in the Rio Grande is attributed to fluctuations in  
591 spring precipitation. It will be increasingly important for operational forecasters to develop  
592 methods for strengthening spring seasonal precipitation forecasts, both for the intrinsic  
593 importance of precipitation and as a component of surface water supply outlooks.

594

595 Previous endeavors to implement seasonal temperature directly into seasonal streamflow  
596 forecasting in the southwest rely on the stationarity of the correlation between temperature and  
597 precipitation, and do not address precipitation as the direct physical contributor to streamflow  
598 variability. In addition, long-term forecasting of streamflow decline in the southwest that relies on  
599 linear scaling of streamflow with temperature ignores the strength of the regional scale correlation  
600 between temperature and precipitation. Our results suggest that long-term trends in streamflow  
601 are closely tied to trends in precipitation. The contribution of precipitation to interannual and  
602 longer fluctuations in streamflow cannot be disregarded or parameterized in terms of temperature.  
603 Regional analysis of the contribution of precipitation or temperature to the variability of

604 streamflow in the southwest must not ignore the strength of the relationship between the two  
605 parameters contained in the observational record.

606 **7.2 GCM Projections** The ensemble of BCSD GCM projections of streamflow and precipitation  
607 for the Rio Grande headwater region contains significant uncertainty through the end of the 21st  
608 century, primarily due to the spread of simulations. We have proposed here a method of selecting  
609 observationally consistent models that simulate the observed shift in hydro-climate parameter  
610 correlations derived from the observational record during the retrospective simulation period. By  
611 selecting OCMs, we are able to reduce uncertainty associated with model spread through the mid-  
612 21st century. Specifically, we find reduced confidence in simulations that produce increased mean  
613 runoff season discharge through mid-century.

614  
615 The ensemble mean of the subset of OCMs differentiated by emission scenario produce  
616 significantly less runoff season discharge than the entire ensemble mean for the each emission  
617 scenario through the end of the 21st century. However, small sample sizes of the OCM subsets  
618 considered here limits the reduction in uncertainty associated with simulation spread that we can  
619 realize. Further development of selecting observationally consistent models to reduce late-21st  
620 century uncertainty in streamflow projections would require a larger set of streamflow simulations  
621 derived from GCMs.

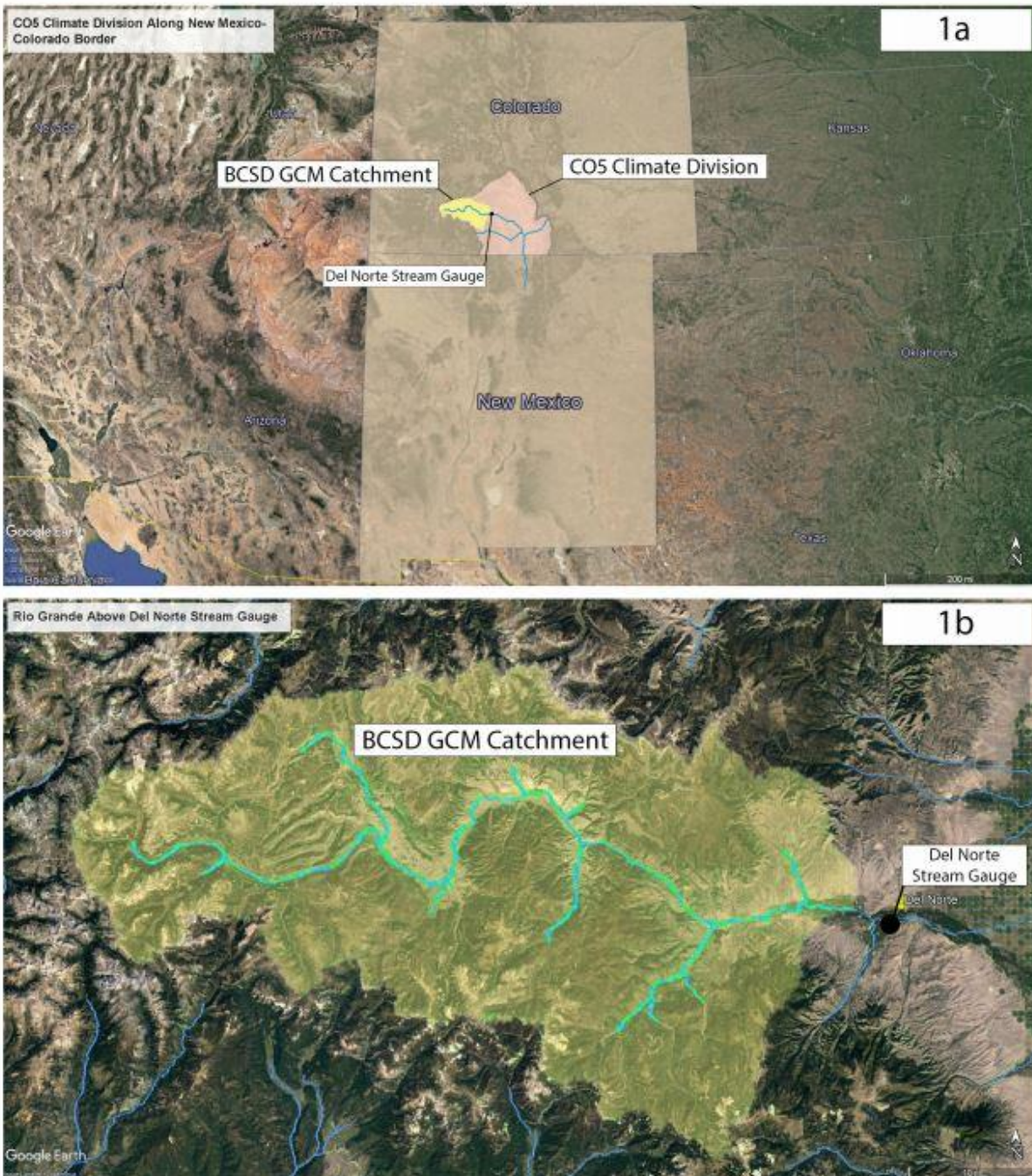
622

623

## 8. TABLES AND

624

## FIGURES

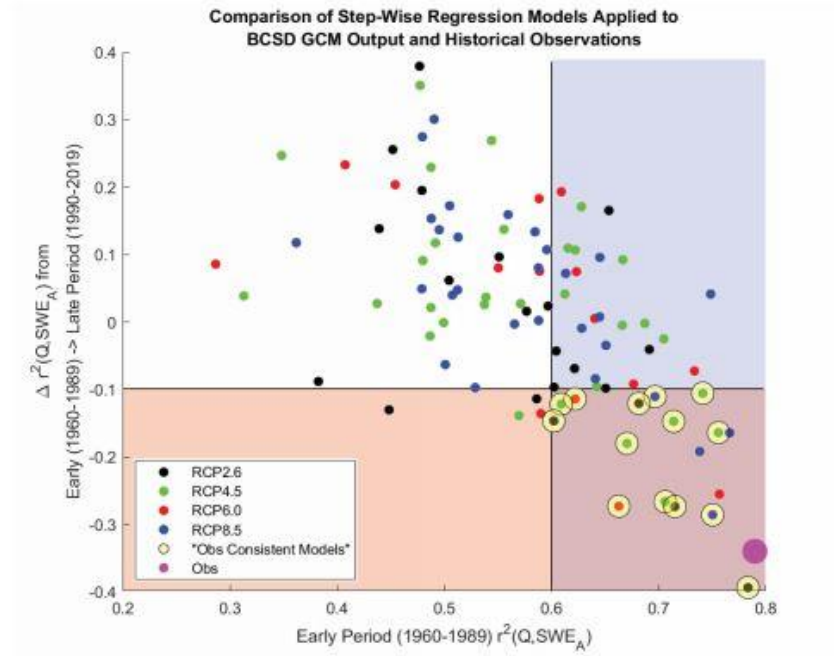


**Figure 1a.** Map of the CO5 climate division along the New Mexico-Colorado border (light pink) with the location of the Rio Grande main stem (blue). The yellow region overprinted within CO5 defines the area used to determine the precipitation and snow-pack that is routed as streamflow in the VIC model as part of the BCSD GCM projections published by the BOR. **Figure 1b.** A magnified view of the BCSD GCM catchment (yellow) above the Del Norte stream gauge that contributes to the streamflow that passes through the gauge. This is a subsection of the entire CO5 Rio Grande Headwater climate division that is used for the historical observation of precipitation and temperature derived from the PRISM dataset. The main stem of the Rio Grande is highlighted in blue.

625



**Figure 2** Fraction of interannual variability of  $Q_{RO}$  ( $r^2$ ) (left-hand ordinate) associated with an individual parameter for successive 30-year regression windows. The green bar shows the fraction of interannual variability of  $Q_{RO}$  attributed to  $SWE_A$  as a first order predictive parameter in the step-wise regression model structure. The blue and yellow bars show the fraction of interannual variability of  $Q_{RO}$  attributed to  $P_{SP}$  and  $T_{SP}$  respectively as second order predictive parameters in the step-wise regressions (step 2 in Table 1). A moving 30-year window with annual resolution is used here to show 30-year mean  $T_{SP}$  (shown by the red line with the right-hand ordinate).



**Figure 3a** The horizontal axis shows the fraction of interannual variability of  $Q_{RO}$  attributed to  $SWE_A$  from the early time period (1960-1989) of the retrospective BCS D GCM output for each simulation. The blue shaded area indicates the region that satisfies OCM Criterion 1 ( $r^2(Q_{RO}, SWE_A) > 0.6$ ). The vertical axis shows the change in the fraction interannual variability of  $Q_{RO}$  attributed to  $SWE_A$  as a first order step-wise predictive parameter from the early time period (1960-1989) to the late time period (1990-2019). The pink shaded area indicates the region that satisfies OCM Criterion 2 ( $\Delta r^2(Q_{RO}, SWE_A) < -0.1$ ). Each colored data point represents a single simulation from the BCS D GCM ensemble and color differentiation represents different emission scenarios. The large purple data point shows the same criteria for the observational record. Yellow outlines for data points are model runs that we identify as the OCMs, selected by satisfaction of all four criteria listed in Sec 5.1. **Figure 3b** Like Figure 3a, but the horizontal axis is the late period (1990-2019) fraction of interannual variability of  $Q_{RO}$  attributed to  $P_{SP}$  as a second order step-wise predictive parameter. The pink shaded area indicates the region that satisfies OCM Criterion 3 ( $r^2(Q_{RO}^1, P_{SP}) > 0.1$ ). The vertical axis shows the change in the total fraction of interannual variability of  $Q_{RO}$  attributed to  $SWE_A, P_{SP}$ , and  $T_{SP}$  using a bivariate step-wise approach from the early time period (1960-1989) to the late time period (1990-2019). The blue shaded area indicates the region that satisfies OCM Criterion 4 ( $r^2(Q_{RO}, (SWE_A, (P_{SP}, T_{SP}))) < 0$ ).

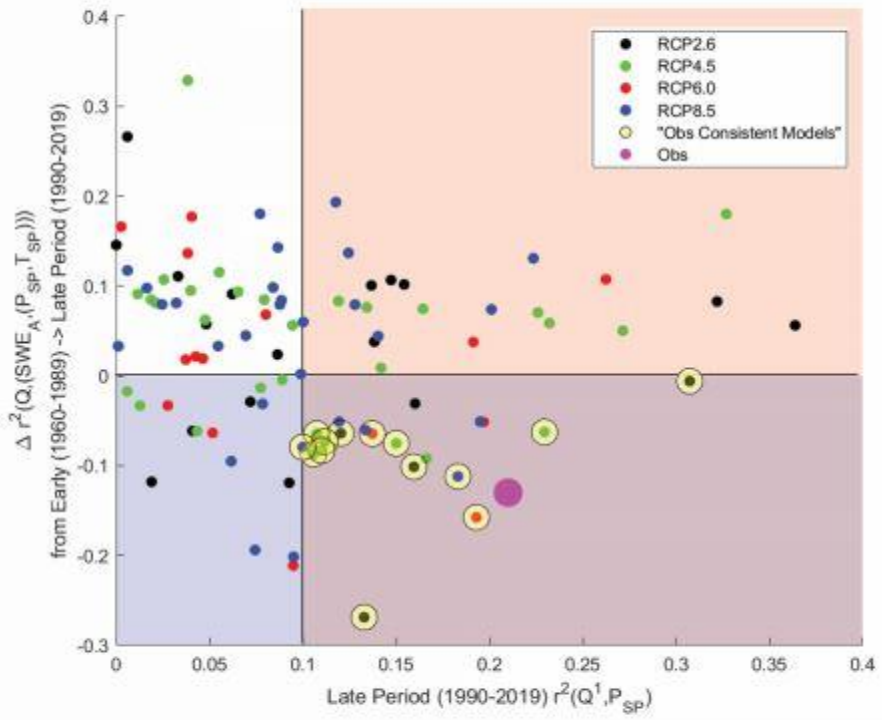
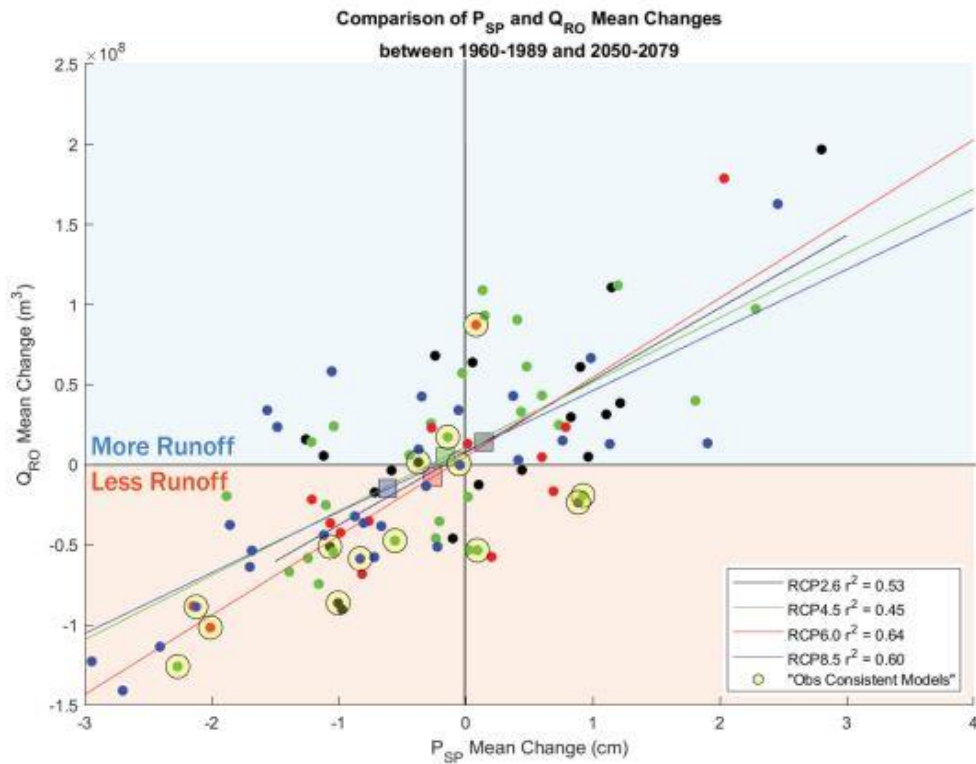


Figure 3b





**Figure 4a.** The horizontal axis represents the  $\Delta(\text{Mean } SWE_A)$  from the early retrospective forecast time period (1960-1989) to the late part of the 21st century (2050-2079) for each BCSD GCM simulation. The vertical axis represents the  $\Delta(\text{Mean } Q_{RO})$  between the same two time periods. Each data point represents a single model simulation, with color differentiation between emissions scenarios. Each colored line is the product of a single linear regression based on all simulations forced by a particular emissions scenario. The centroid of the regression for each scenario is shown by a colored square. Yellow outlines over data points are simulations that are identified as the OCMs selected by the metrics described. The light blue shaded region indicates an increase in mean  $Q_{RO}$  between the late part of the 21st century (2050-2079) and the retrospective forecast period (1960-1989), while the light orange region indicates a decrease in mean  $Q_{RO}$  between the same periods. **Figure 4b.** Like Figure 4a, but the horizontal axis represents the  $\Delta(\text{Mean } P_{SP})$  between the same time periods described above. **Figure 4c.** Like Figure 4a, but the horizontal axis here represents the  $\Delta(\text{Mean } T_{SP})$  for the same time periods described above. Non-significant regressions (determined by a significance level of  $\alpha = 0.05$ ) are not shown.

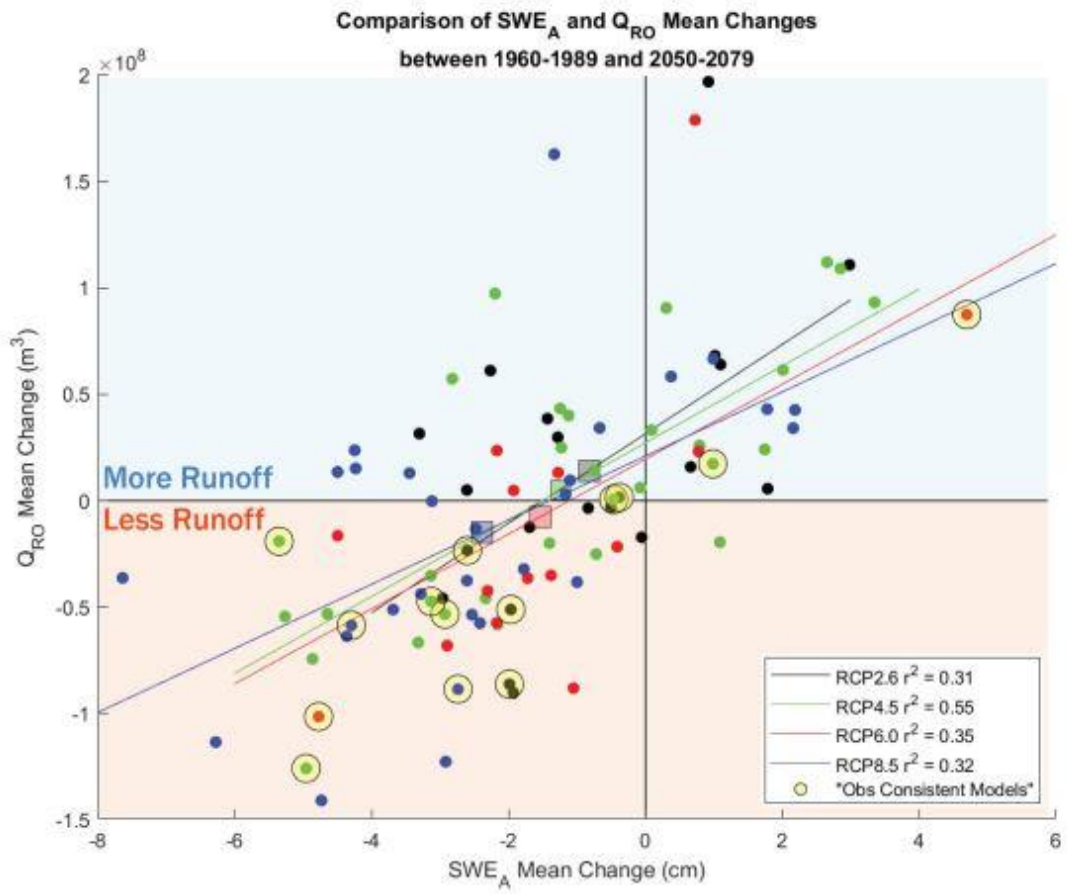


Figure 4b

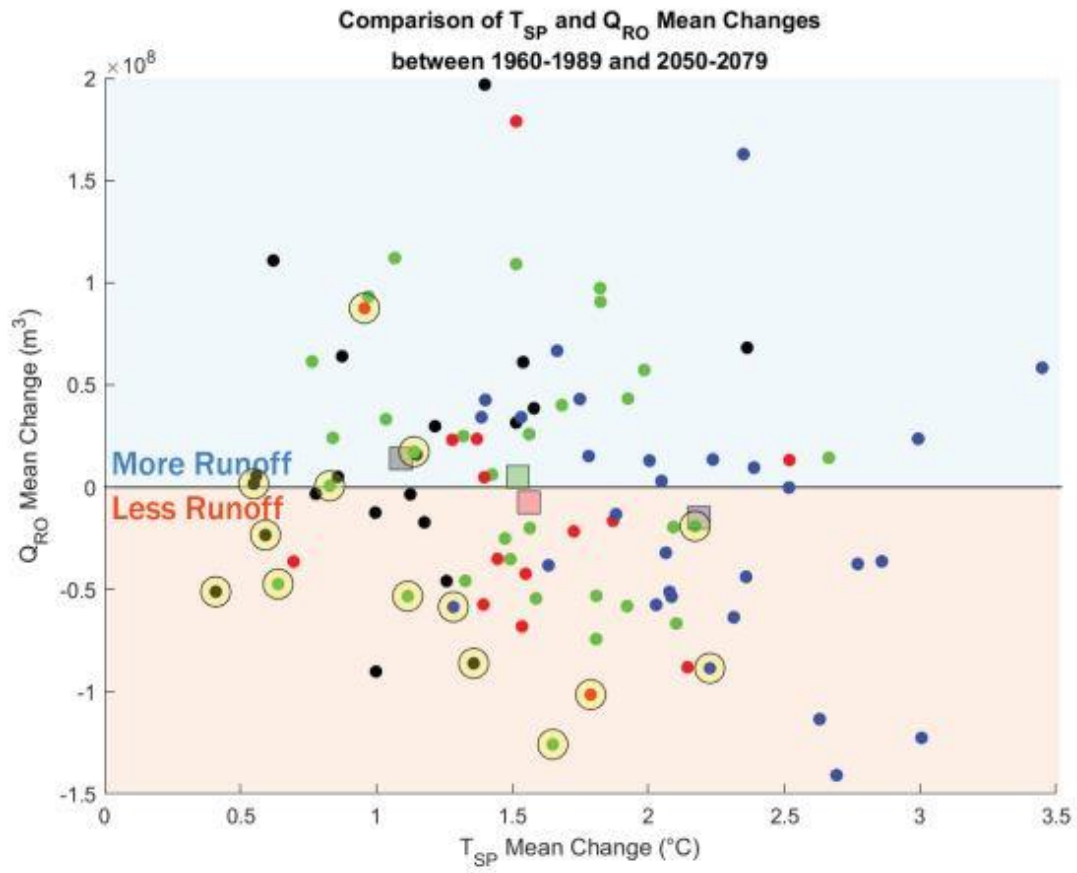
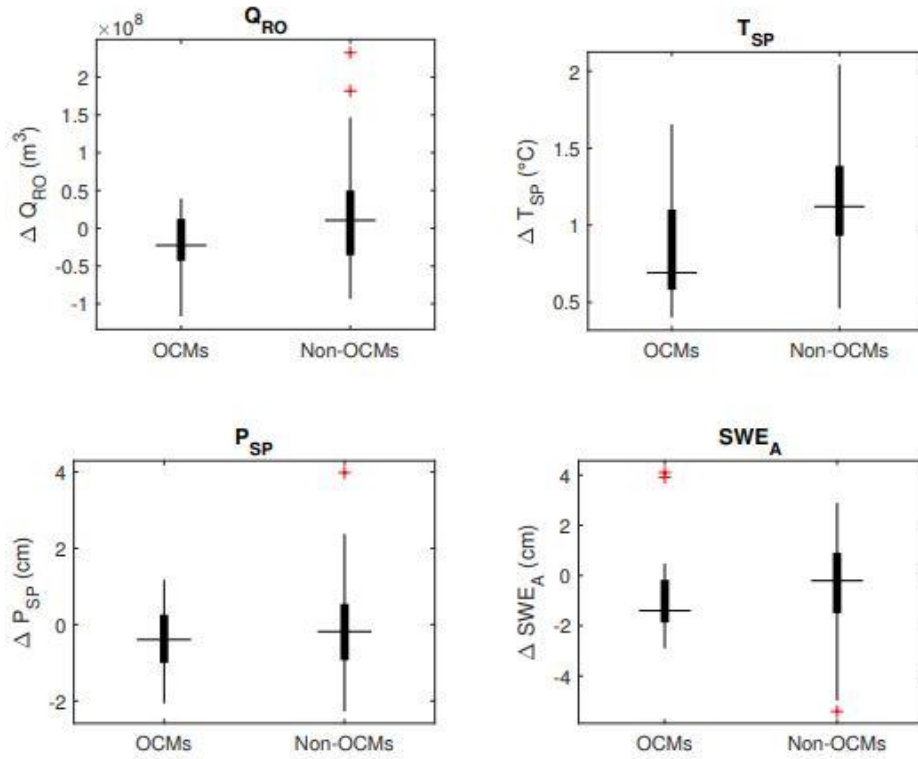


Figure 4c



**Figure 5.** Distributions of the change in climate parameters through mid-century (2020-2049) compared to the retrospective simulation period (1960-1989) for both the OCM and non-OCM subsets of the entire BCSD GCM ensemble for  $Q_{RO}$ ,  $T_{SP}$ ,  $P_{SP}$ , and  $SWE_A$ . The central line of each box and whisker plot indicates the median of distribution, the boxes indicate the 25th-75th percentile, and the whiskers indicate the 10th-90th percentile of the distribution of models. Red pluses indicate outliers. This figure uses the same subsets of OCMs and non-OCMs as Table 3c.

632

Table 1: Pearson Correlation for Early Time Period (1951-1983) and Late Time Period (1983-2015) Parameters

	$P_{WI}$	$P_{SP}$	$T_{WI}$	$T_{SP}$	$Q_{RO}$	$SWE_A$
$P_{WI}$	1	-0.06	-0.43	-0.24	0.48	0.80
$P_{SP}$	0.39	1	0.37	-0.68	0.47	0.02
$T_{WI}$	-0.47	-0.03	1	0.02	0.00	-0.49
$T_{SP}$	-0.37	-0.58	0.30	1	-0.49	-0.36
$Q_{RO}$	0.78	0.33	-0.67	-0.40	1	0.67
$SWE_A$	0.83	0.30	-0.67	-0.36	0.89	1

Table 1 contains the Pearson correlations between climate parameters for both time periods considered in this study. The lower-left half of the table (blue) contains the correlations for the early time period (1951-1983) and the upper-right half of the table (orange) contains the correlations for the late time period (1983-2015).

633

.	$SWE_A \rightarrow (P_{SP}, T_{SP})$	$SWE_A \rightarrow T_{SP} \rightarrow P_{SP}$	$SWE_A \rightarrow P_{SP} \rightarrow T_{SP}$
Step 1	6.75	6.75	6.75
Step 2	6.64	6.65	6.70
Step 3	.	6.64	6.66

.	$SWE_A \rightarrow (P_{SP}, T_{SP})$	$SWE_A \rightarrow T_{SP} \rightarrow P_{SP}$	$SWE_A \rightarrow P_{SP} \rightarrow T_{SP}$
Step 1	11.43	11.43	11.43
Step 2	8.87	10.79	8.99
Step 3	.	9.81	8.92

.	$SWE_A \rightarrow (P_{SP}, T_{SP})$	$SWE_A \rightarrow T_{SP} \rightarrow P_{SP}$	$SWE_A \rightarrow P_{SP} \rightarrow T_{SP}$
Step 1	14.60	14.60	14.60
Step 2	12.86	14.19	12.84
Step 3	.	13.35	12.82

.	$SWE_A \rightarrow (P_{SP}, T_{SP})$	$SWE_A \rightarrow T_{SP} \rightarrow P_{SP}$	$SWE_A \rightarrow P_{SP} \rightarrow T_{SP}$
Step 1	0.79	0.79	0.79
Step 2	0.80	0.80	0.79
Step 3	.	0.80	0.80

.	$SWE_A \rightarrow (P_{SP}, T_{SP})$	$SWE_A \rightarrow T_{SP} \rightarrow P_{SP}$	$SWE_A \rightarrow P_{SP} \rightarrow T_{SP}$
Step 1	0.45	0.45	0.45
Step 2	0.67	0.51	0.66
Step 3	.	0.59	0.67

Tables 2a-2c show the root-mean-square error (RMSE) of each step-wise model associated with the addition of parameters for each step. The columns are differentiated by different step ordering and the rows differentiate each step. For example, the 2nd column contains the RMSE of the step-wise model with the addition of climate parameters ordered  $SWE_A \rightarrow T_{SP} \rightarrow P_{SP}$ . The first row is the RMSE of the linear regression using  $SWE_A$  as predictor of  $Q_{RO}$ . The second row shows the RMSE of the linear regression model with the addition of  $T_{SP}$  as a predictor of the residuals from the previous step. Likewise, the third row shows the RMSE of the linear regression model with the addition of  $P_{SP}$  as a predictor of the residuals from the second step. Tables 2d-2e follow the same structure as the previous tables, but show the fraction of interannual variability of  $Q_{RO}$  that is attributed to the addition of the climate parameters in each step.

Table 3a. Full Ensemble Projections of Changes in Climate Parameters								
	RCP 2.6 (21)		RCP 4.5 (31)		RCP 6.0 (16)		RCP 8.5 (29)	
	$\Delta$	$\sigma$	$\Delta$	$\sigma$	$\Delta$	$\sigma$	$\Delta$	$\sigma$
SWE <sub>A</sub> (cm)	-0.82	0.75	-1.23	0.66	-1.54	0.76	-2.38	0.70
P <sub>SP</sub> (cm)	0.14	0.35	-0.16	0.34	-0.26	0.38	-0.62	0.33
T <sub>SP</sub> (C°)	1.09	0.07	1.52	0.06	1.56	0.07	2.19	0.06
Q <sub>RD</sub> (m <sup>3</sup> ) *10 <sup>6</sup>	14.09	18.06	4.94	16.62	-7.54	20.26	-14.87	16.89

**Table 3a.**  $\Delta$  values are determined by subtracting the ensemble mean value from 2050-2079 projected output from 1960-1989 retrospective simulation output for each emission scenario.  $\sigma$  is the standard deviation of the distribution of the mean changes for individual simulations for the period 2050-2079 for each ensemble.

Table 3b. OCMs Projections of Changes in Climate Parameters								
	RCP 2.6 (4)		RCP 4.5 (6)		RCP 6.0 (3)		RCP 8.5 (2)	
	$\Delta$	$\sigma$	$\Delta$	$\sigma$	$\Delta$	$\sigma$	$\Delta$	$\sigma$
SWE <sub>A</sub> (cm)	-1.73	2.75	-2.71	2.93	-0.25	3.41	-3.51	5.09
P <sub>SP</sub> (cm)	-0.39	1.48	-0.32	1.12	-0.82	1.45	-1.48	2.17
T <sub>SP</sub> (C°)	0.73	0.43	1.29	0.60	1.18	0.63	1.76	1.01
Q <sub>RD</sub> (m <sup>3</sup> ) *10 <sup>6</sup>	-39.80	60.40	-37.50	56.10	-6.82	64.00	-73.50	84.50

**Table 3b.**  $\Delta$  values are determined by subtracting the OCM ensemble mean value from 2050-2079 projected output from 1960-1989 retrospective simulation output for each emission scenario.  $\sigma$  is the standard deviation of the distribution of the mean changes for individual simulations for the period 2050-2079 for each OCM ensemble. Numbers in parenthesis next to emission scenarios indicates how many simulations are considered as OCMs within the emission scenario ensemble.

Table 3c. Comparison of OCM and Non-OCM Subsets Through Mid Century				
	OCMs (15)		Non-OCMs (82)	
	$\Delta$	$\sigma$	$\Delta$	$\sigma$
SWE <sub>A</sub> (cm)	-0.66	2.11	-0.36	1.77
P <sub>SP</sub> (cm)	-0.55	0.94	-0.12	1.10
T <sub>SP</sub> (C°)	0.83	0.37	1.15	0.32
Q <sub>RD</sub> (m <sup>3</sup> ) *10 <sup>7</sup>	-1.82	4.16	1.42	6.20

**Table 3c.**  $\Delta$  values are determined by subtracting ensemble mean value from 2020-2049 projected output from 1960-1989 retrospective simulation output for both OCM and non-OCM subsets.  $\sigma$  is the standard deviation of the distribution of the mean changes for individual simulations for the period 2020-2049 for each OCM ensemble. Numbers next to each subset title indicates the number of simulations that are considered for each subset. All RCPs are considered here due to lack of RCP divergence through mid-century.

Table 4. OCM Criteria for all BCSD GCM Simulations				
	Criterion 1	Criterion 2	Criterion 3	Criterion 4
	$r^2(Q_{RO}, SWE_A) > 0.6$ for early period (1960-1989)	$\Delta r^2(Q_{RO}, SWE_A) < -0.1$ from early (1960-1989) to late (1990-2019) period	$r^2(Q_{RO}, P_{SP}) > 0.1$ for late period (1990- 2019)	$\Delta r^2(Q_{RO}, (SWE_A, P_{SP}, T_{SP})) < 0$ from early (1960-1989) to late (1990-2019) period
access1-0.1.rcp45	0.69	0.00	0.01	-0.02
access1-0.1.rcp85	0.56	0.16	0.00	0.12
bcc-csm1-1.1.rcp26	0.72	-0.27	0.31	-0.01
bcc-csm1-1.1.rcp45	0.67	-0.18	0.15	-0.08
bcc-csm1-1.1.rcp60	0.68	-0.09	0.19	0.04
bcc-csm1-1.1.rcp85	0.60	0.10	0.12	0.20
bcc-csm1-1-m.1.rcp45	0.54	0.27	0.02	0.08
bcc-csm1-1-m.1.rcp85	0.48	0.27	0.04	0.08
canesm2.1.rcp26	0.44	0.14	0.14	0.10
canesm2.1.rcp45	0.57	0.03	0.09	0.00
canesm2.1.rcp85	0.59	0.00	0.10	0.00
casm4.1.rcp26	0.48	0.38	0.01	0.27
casm4.1.rcp45	0.63	0.17	0.02	0.08
casm4.1.rcp60	0.55	0.08	0.05	0.02
casm4.1.rcp85	0.49	0.15	0.09	0.10
cesm1-bgc.1.rcp45	0.49	0.12	0.09	0.06
cesm1-bgc.1.rcp85	0.48	0.05	0.06	-0.10
cesm1-cam5.1.rcp26	0.65	-0.10	0.02	-0.12
cesm1-cam5.1.rcp45	0.48	0.35	0.04	0.33
cesm1-cam5.1.rcp60	0.45	0.20	0.04	0.18
cesm1-cam5.1.rcp85	0.65	-0.03	0.14	0.04
cmcc-cm.1.rcp45	0.74	-0.11	0.11	-0.06
cmcc-cm.1.rcp85	0.70	-0.11	0.10	-0.08
cnrm-cm5.1.rcp45	0.54	0.03	0.12	0.08
cnrm-cm5.1.rcp85	0.51	0.04	0.10	0.06
csiro-mk3-6-0.1.rcp26	0.65	0.17	0.00	0.15
csiro-mk3-6-0.1.rcp45	0.62	0.11	0.01	0.09
csiro-mk3-6-0.1.rcp60	0.59	0.18	0.00	0.17
csiro-mk3-6-0.1.rcp85	0.75	0.04	0.00	0.04
fgoals-g2.1.rcp26	0.59	-0.11	0.16	-0.03
fgoals-g2.1.rcp45	0.49	0.23	0.04	0.09
fgoals-g2.1.rcp85	0.61	0.08	0.07	0.05
fio-esm.1.rcp26	0.78	-0.39	0.13	-0.27
fio-esm.1.rcp45	0.71	-0.27	0.23	-0.06
fio-esm.1.rcp60	0.76	-0.26	0.09	-0.21
fio-esm.1.rcp85	0.75	-0.29	0.19	-0.11
gfdl-cm3.1.rcp26	0.58	0.02	0.07	-0.03
gfdl-cm3.1.rcp45	0.35	0.25	0.06	0.12
gfdl-cm3.1.rcp60	0.62	0.07	0.03	-0.03
gfdl-cm3.1.rcp85	0.64	0.01	0.08	-0.03
gfdl-esm2g.1.rcp26	0.45	0.26	0.06	0.09
gfdl-esm2g.1.rcp45	0.49	0.02	0.23	0.07
gfdl-esm2g.1.rcp60	0.61	0.19	0.04	0.14
gfdl-esm2g.1.rcp85	0.49	0.30	0.03	0.08
gfdl-esm2m.1.rcp26	0.38	-0.09	0.32	0.08
gfdl-esm2m.1.rcp45	0.31	0.04	0.33	0.18
gfdl-esm2m.1.rcp60	0.29	0.09	0.26	0.11
gfdl-esm2m.1.rcp85	0.36	0.12	0.22	0.13
giss-e2-h-cc.1.rcp45	0.67	0.00	0.01	-0.03
giss-e2-r.1.rcp26	0.62	-0.07	0.04	-0.06
giss-e2-r.1.rcp45	0.76	-0.16	0.11	-0.09
giss-e2-r.1.rcp60	0.66	-0.27	0.19	-0.16

giss-e2-r.1.rcp85	0.53	-0.10	0.20	0.07
giss-e2-r-cc.1.rcp45	0.50	0.00	0.13	0.08
hadgem2-ao.1.rcp26	0.55	0.10	0.05	0.06
hadgem2-ao.1.rcp45	0.62	0.11	0.05	0.06
hadgem2-ao.1.rcp60	0.64	0.01	0.04	0.02
hadgem2-ao.1.rcp85	0.51	0.17	0.01	0.10
hadgem2-cc.1.rcp45	0.49	-0.02	0.23	0.06
hadgem2-cc.1.rcp85	0.63	-0.01	0.12	-0.06
hadgem2-es.1.rcp26	0.68	-0.12	0.12	-0.06
hadgem2-es.1.rcp45	0.56	0.14	0.03	0.11
hadgem2-es.1.rcp60	0.59	0.08	0.04	0.02
hadgem2-es.1.rcp85	0.50	0.13	0.09	0.14
inmcm4.1.rcp45	0.61	0.04	0.08	-0.01
inmcm4.1.rcp85	0.77	-0.17	0.08	-0.19
ipsl-cm5a-mr.1.rcp26	0.60	-0.04	0.14	0.04
ipsl-cm5a-mr.1.rcp45	0.67	0.09	0.08	0.08
ipsl-cm5a-mr.1.rcp60	0.62	-0.11	0.14	-0.06
ipsl-cm5a-mr.1.rcp85	0.74	-0.19	0.09	-0.20
ipsl-cm5b-lr.1.rcp45	0.54	0.04	0.16	0.07
ipsl-cm5b-lr.1.rcp85	0.51	0.13	0.12	0.14
miroc5.1.rcp26	0.60	-0.10	0.09	-0.12
miroc5.1.rcp45	0.71	-0.15	0.11	-0.07
miroc5.1.rcp60	0.59	-0.14	0.20	-0.05
miroc5.1.rcp85	0.58	0.14	0.08	0.18
miroc-esm.1.rcp26	0.45	-0.13	0.36	0.06
miroc-esm.1.rcp45	0.44	0.03	0.27	0.05
miroc-esm.1.rcp60	0.41	0.23	0.08	0.07
miroc-esm.1.rcp85	0.50	-0.06	0.19	-0.05
miroc-esm-chem.1.rcp26	0.50	0.06	0.15	0.11
miroc-esm-chem.1.rcp45	0.71	-0.03	0.04	-0.06
miroc-esm-chem.1.rcp60	0.65	0.10	0.09	0.08
miroc-esm-chem.1.rcp85	0.65	0.09	0.09	0.08
mpi-esm-lr.1.rcp26	0.48	0.19	0.03	0.11
mpi-esm-lr.1.rcp45	0.48	0.09	0.07	0.09
mpi-esm-lr.1.rcp85	0.51	0.05	0.09	0.08
mpi-esm-mr.1.rcp26	0.60	0.02	0.15	0.10
mpi-esm-mr.1.rcp45	0.57	-0.14	0.17	-0.09
mpi-esm-mr.1.rcp85	0.59	0.08	0.13	0.08
mri-cgcm3.1.rcp26	0.60	-0.15	0.16	-0.10
mri-cgcm3.1.rcp45	0.61	-0.12	0.11	-0.08
mri-cgcm3.1.rcp85	0.64	-0.08	0.13	-0.06
noresm1-m.1.rcp26	0.69	-0.04	0.09	0.02
noresm1-m.1.rcp45	0.64	-0.10	0.14	0.01
noresm1-m.1.rcp60	0.73	-0.07	0.05	-0.06
noresm1-m.1.rcp85	0.57	-0.01	0.06	0.03

637

638



639  
640  
641  
642  
643  
644  
645  
646  
647  
648  
649  
650  
651  
652  
653  
654  
655  
656  
657

## 9. REFERENCE LIST

Barnett, T., Pierce, D. W., Hidalgo, H., Bonfils, C., Santer, B., Das, T., Govindasamy, B., Wood, A., Nozawa, T., Mirin, A. A., Cayan, D. , & Dettinger, M. (2008). Human-Induced Changes in the Hydrology of the Western United States. *Science*, 319. 1080-3. 10.1126/science.1152538.

Blythe, T. L., & Schmidt, J. C. (2018). Estimating the natural flow regime of rivers with longstanding development: The Northern branch of the Rio Grande. *Water Resources Research*, 54, 1212 1236. <https://doi.org/10.1002/2017WR021919>.

Cayan, D. R., Dettinger M.D., Kammerdiener S.A., Caprio J.M., & Peterson D.H. (2001). Changes in the Onset of Spring in the Western United States. *Bulletin of the American Meteorological Society* 82:399-415.

Chavarria, S.B. & Gutzler, D.S. (2018). Observed Changes in Climate and Streamflow in the Upper Rio Grande Basin. *Journal of the American Water Resources Association* 54( 3): 644 659. <https://doi.org/10.1111/1752-1688.12640>

Daly, C., Halbleib, M., Smith, J.I., Gibson, W.P., Doggett, M.K., Taylor, G.H., Curtis, J., & Pasteris, P.A. (2008). Physiographically-sensitive mapping of temperature and precipitation across the conterminous United States. *International Journal of Climatology*. <https://doi.org/10.1002/joc.1688>.

Deser, C., Phillips A.S., Tomas R.A., Okumura Y.M., Alexander M.A., Capotondi A., Scott J.D., Kwon Y., & Ohba M. (2012). ENSO and Pacific Decadal Variability in the Community Climate

658 System Model Version 4. *Journal of Climate*, 25, 26222651. <https://doi.org/10.1175/JCLI-D-11->  
659 00301.1

660 Deser, C., Simpson I.R., Phillips A.S., & McKinnon K.A. (2018). How Well Do We Know  
661 ENSOs Climate Impacts over North America, and How Do We Evaluate Models Accordingly?.  
662 *Journal of Climate*, 31, 49915014. <https://doi.org/10.1175/JCLI-D-17-0783.1>

663 Garen, D.C. (1992). Improved techniques in regression-based streamflow volume forecasting.  
664 *Journal of Water Resources Planning and Management*, 118(6):654-671.

665 Gershunov, A. & Barnett T.P. (1998) Interdecadal Modulation of ENSO Teleconnections. *Bull.*  
666 *Amer. Meteor. Soc.*, 79, 27152726. [https://doi.org/10.1175/1520-0477\(1998\)079](https://doi.org/10.1175/1520-0477(1998)079)

667 Gutmann, E., Pruitt, T., Clark, M.P., Brekke, L., Arnold, J.R., Raff, D.A., & Rasmussen, R.M.  
668 (2014). An intercomparison of statistical downscaling methods used for water resource  
669 assessments in the United States. *Water Resources Research*, 50, 7167 7186.  
670 doi:10.1002/2014WR015559.

671 Hurd, B.H., & Coonrod, J. (2012). Hydro-Economic Consequences of Climate Change in the  
672 Upper Rio Grande. *Climate Research*, 53: 10318. <https://doi.org/10.3354/cr01092>.

673 IPCC, (2013). Climate Change 2013: The Physical Science Basis. Contribution of Working  
674 Group I to the Fifth Assessment Report of the Intergovernmental Panel on Climate Change  
675 [Stocker, T.F., D.

676 Qin, G.-K. Plattner, M. Tignor, S.K. Allen, J. Boschung, A. Nauels, Y. Xia, V. Bex and P.M.  
677 Midgley (eds.)]. Cambridge University Press, Cambridge, United Kingdom and New York, NY,  
678 USA, 1535 pp. doi:10.1017/CBO9781107415324.

679 Knowles, N., Dettinger M.D., & Cayan D.R. (2006). Trends in snowfall versus rainfall in the  
680 western United States. *Journal of Climate*, 19:4545-4559.

681 Lehner, F., Wahl E.R., Wood A.W., Blatchford D.B., & Llewellyn D. (2017a). Assessing recent  
682 declines in Upper Rio Grande runoff efficiency from a paleoclimate perspective. *Geophysical*  
683 *Research Letters*, 44. doi:10.1002/2017GL073253.

684 Lehner, F., Wood A.W., Llewellyn D., Blatchford D.B., Goodbody A.G., & Pappenberger F.  
685 (2017b).

686 Mitigating the impacts of climate nonstationarity on seasonal streamflow predictability in the U.S.  
687 Southwest. *Geophysical Research Letters*, 44. doi:10.1002/2017GL076043.

688 Liu, Y. (2003). Spatial patterns of soil moisture connected to monthly-seasonal precipitation  
689 variability in a monsoon region. *J. Geophysical Research Letters*, 108: 1-14

690 Livneh, B., Deems J.S., Buma B., Barsugli J.J., Schneider D., Molotch N.P., Wolter K., &  
691 Wessman C.A. (2015). Catchment Response to Bark Beetle Outbreak and DustonSnow in the  
692 Colorado Rocky Mountains. *Journal of Hydrology*, 523: 196210.  
693 <https://doi.org/10.1016/j.jhydrol.2015.01.039>.

694 Milly, P.C.D., Betancourt J., Falkenmark M., Hirsch R.M., Kundzewicz Z.W., Lettenmaier D.P.,  
695 & Stouffer R.J. (2008). Stationarity is Dead: Whither Water Management. *Science*, 319:573-574.

696 Mix, K., Lopes V.L., & Rast W. (2012). Environmental drivers of streamflow change in the  
697 Upper Rio 478 Grande. *Water Resources Management*, 26:253272.  
698 <https://doi.org/10.1007/s11269-011-9916-9>.

699 Mote, P.W. (2006). Climate-Driven Variability and Trends in Mountain Snowpack in Western  
700 North America. *Journal of Climate*, 19, 62096220. <https://doi.org/10.1175/JCLI3971.1>

701 Pagano, T., Garen D., & Sorooshian S. (2004). Evaluation of Official Western U.S. Seasonal  
702 Water Supply Outlooks, 19222002. *Journal of Hydrometeorology*, 5, 896909.  
703 <https://doi.org/10.1175/15257541>

704 Painter, T.H., Barrett, A.P., Landry, C.C., Neff, J.C., Cassidy, M.P., Lawrence, C.R., McBride,  
705 K.E., & Farmer, G.L. (2007). Impact of disturbed desert soils on duration of mountain snow  
706 cover. *Geophysical Research Letters*, 34, L12502. doi:10.1029/2007GL030284.

707 Rango, A. (2006). Snow: The real water supply for the Rio Grande basin. *New Mexico Journal of*  
708 *Science*, 44:99-118.

709 Ropelewski, C.F. & Halpert M.S. (1986). North American Precipitation and Temperature  
710 Patterns Associated with the El Nio/Southern Oscillation (ENSO). *Monthly Weather Review*, 114,  
711 23522362. <https://doi.org/10.1175/1520-0493>

712 Reclamation (2013). Downscaled CMIP3 and CMIP5 Climate and Hydrology Projections:  
713 Release of Downscaled CMIP5 Climate Projections, Comparison with preceding Information, and

714 Summary of User Needs, prepared by the U.S. Department of the Interior, Bureau of  
715 Reclamation, Technical Services Center, Denver, Colorado. 47pp.

716 Reclamation (2014). Downscaled CMIP3 and CMIP5 Climate and Hydrology Projections:  
717 Release of Hydrology Projections, Comparison with preceding Information, and Summary of User  
718 Needs, prepared by the U.S. Department of the Interior, Bureau of Reclamation, Technical  
719 Services Center, Denver, Colorado. 110 pp.

720 Stewart, I.T. (2009). Changes in snowpack and snowmelt runoff for key mountain regions.  
721 *Hydrologic Processes*, 23:7894. doi: 10.1002/hyp.7128.

722 Udall, B. & Overpeck, J. (2017). The twentyfirst century Colorado River hot drought and  
723 implications for the future, *Water Resources Research*, 53, 2404-2418.  
724 doi:10.1002/2016WR019638.

725 Vano, J.A., Udall B., Cayan D.R., Overpeck J.T., Brekke L.D., Das T., Hartmann H.C., Hidalgo  
726 H.G., Hoerling M., McCabe G.J., & Morino K. (2014). Understanding uncertainties in future  
727 Colorado River streamflow. *Bulletin of the American Meteorological Society*, 95:59-78.  
728 doi:10.1175/BAMS-D12-00228.1.

729 Wood, A., Leung, L., Sridhar, V., & Lettenmaier, D.P. (2004). Hydrologic Implications of  
730 Dynamical and Statistical Approaches to Downscaling Climate Model Outputs. *Climatic Change*,  
731 62. 189-216.10.1023/B:CLIM.0000013685.99609.9e.